Plasticity and Robustness in Evolution: Macroscopic Theory, Model Simulations, and Laboratory Experiments Kunihiko Kaneko U Tokyo, Center for Complex Systems Biology

- **1** Phenotypic Fluctuation (Plasticity) vs Evolution
- **2** Phenotypic Fluctuation vs Genetic Variation
- **3 Evolution of Robustness to Noise and to Mutation**
- 4 Plasticity of each phenotype
- **5 Restoration of Plasticity**
- 6 LeChatlier Principle?
- **7** Symbiotic Sympatric Speciation
- 8 Evolution of Morphogenesis

selection of dynamical systems by dynamical systems for dynamical systems Darwin and Lincoln (born on the same day)





Consistency between dynamics of different levels

(1)Cell reproduction vs molecule replication → adapt to critical state with optimal growth (Furusawa,kk PRL 03,12)

(2) Cell Growth vs Protein Expression \rightarrow

generic adaptation (without signal network) as a result of cell growth + noise (Kashiwagi etal,PLosOne 06)

(3) Cell reproduction vs multicellularity \rightarrow

(unstable) oscillatory dynamics = stem cell + cell interaction → differentiation, loss of pluripotency (KK&Yomo 1997, Furusawa&KK,Science 2012)

+ minimal model (Goto, kk, arXiv)

(4) Genetic vs phenotypic changes → Today's talk

Other Recent Related topics (to be discussed informally)

(1) Cooperative Adaptation Dynamics by highdimensional gene regulation dynamics (Inoue,kk,PLosCB2013)

(2) Adaptive Dynamics by Epigenetic Feedback Regulation (Furusawa,kk,PLoSOne2013)

(3) Temperature Compensation in Circadian Rhythm by enzyme limited competition (Hatakeyama,kk,PNAS2012)

(4) Kinetic memory due to enzyme-limited competition: basis for epigenetic memory(Hatakeyama,kk, in prep)

- Evolvability, Robustness, Plasticity: Basic Questions in Biology, but often discussed qualitatively : Idealizing the situation:
- →quantitative theory?
- Phenotypic Fluctuation ←→
 Phenotypic Evolution?
- Even in isogenic individuals large phenotypic fluctuation (theory, experiments)
- Motivation1 Relevance
 of this fluctuation to evolution?
 Positive role of noise?



umber distribution of the proteins measured by fluorescent intensity. I brea Escherichia coli cell populations containing different reporter place



Phenotypic fluctuation in EvoDevo genotype —``development " \rightarrow Phenotype Selection by f(Phenotype)(given environment) If this genotype \rightarrow phenotype mapping is uniquely determined \rightarrow selection by f(Genotype). Then Change in distribution P(genotype) But gene— $(development) \rightarrow Phenotype distributed$ Phenotypic fluctuation of isogenic organisms $\rightarrow P(x; a) x$ —phenotype, a – gene *Even if fluctuated phenotype is not heritable, degree of fluctuation depends on gene and is heritable **Correspondence between Devo and Evo** congruence between dev dynamics & evolution

Motivation2:Evolution of Robustness

 Robustness ----- Insensitivity of Phenotype to system's change

← due to environmental change

← against 'developmental noise'

 \leftarrow against change by mutation

*Question:

relationship among these robustness condition for evolution of robustness

Waddington's image For robustness (canalization)

Connect Motivation 1 and 2:

Study evolvalibity, robustness, in terms of phenotypic fluctuations

→Insight into Geno-pheno coupling

Waddington- Genetic Assimilation

(Ancel-Fontana.Wagner,.,)

• Note;

phenomenological theory for relation between stochasticity in geno—pheno mappings and genetic variances, based on Lab+Numerical experiments+ phenomenological argument;

No sophisticated framework as in population genetics

(cf: consequence of covariances is established in Price, Lande,.....)

Here, consequence of evo-devo (plasticity, robustness)

Earlier study: Artificial selection experiment with bacteria Selection to increase the fluorescence of protein in bacteria



Sato,Ito, Yomo,KK PNAS(2003) Analogy with fluctuation-response relationship Force to change a variable x; response ratio = (shift of x) / force fluctuation of x (without force) response ratio proportional to fluctuation

Generalization::(mathematical formulation) response ratio of some variable x against the change of parameter a versus fluctuation of x

P(x;a) x variable, a: control parameter change of the parameter a → peak of P(x;a) (i.e.,<x>average) shifts

$$\frac{\langle x \rangle_{a+\Delta a} - \langle x \rangle_{a}}{\Delta a} \propto \langle (\delta x)^2 \rangle_a = \langle (x - \langle x \rangle)^2 \rangle$$

--``Response against mutation+selection" --Fluctuation

Phenomenological Distribution argument

Gaussian distribution of x; under the parameter a

$$P(x; a_0) = N_0 exp(-\frac{(x - X_0)^2}{2\alpha_0}),$$
 at a=a0

Change the parameter from a0 to a

1) Accumention of

 $P(x:a) = Nexp(-\frac{(x-X_0)^2}{2\alpha(a)} + v(x,a)) \quad v(a,x) = C(a-a_0)(x-X_0) + \dots, \text{ with } C \text{ as a constant},$

$$P(x, a_0 + \Delta a) = N'exp(-\frac{(x - X_0 - C\Delta a\alpha(a_0 + \Delta a))^2}{2\alpha(a_0 + \Delta a)})$$

Hence, we get

$$\frac{\langle x \rangle_{a=a_{0}+\Delta a} - \langle x \rangle_{a=a_{0}}}{\Delta a} = C\alpha(a_{0} + \Delta a),$$

Noting that $\alpha = \langle (\delta x)^{2} \rangle$

$$\frac{\langle x \rangle_{a=a_{0}+\Delta a} - \langle x \rangle_{a=a_{0}}}{\Delta a} = C \langle (\delta x)^{2} \rangle,$$

$$(1) Assumption of representation by P(x;a) X : phenotype a ; gene (2) The coupling form Cxa is also assumption of the term of the term of the term of term$$

 \rightarrow Not derivation; need to check experimentally



Sato, Ito, Yomo, KK, PNAS 2003

Confirmation by models

Requirement for models

Genotype – rule for dynamics (networks + parameters)

- Dynamics high-dimensional (many degrees,
- e.g., expressions of proteins) + noise
- Phenotypes are shaped by attractor of the dynamical system
- Fitness (Phenotype) (high-fitness state is rare)
- **Mutation+Selection** process

Previous Study on Recursive Production? : Toy (Ideal) Cell Model with Catalytic Reaction Network

k species of chemicals $X_0 \cdots X_{k-1}$ number --- $n_0 n_1 \dots n_{k-1}$

random catalytic reaction network with the path rate p for the reaction $X_i + X_j - > X_k + X_j$

some chemicals are penetrable through the membrane with the diffusion coefficient D

resource chemicals are thus transformed into impenetrable chemicals, leading to the growth in N=Σn_i, when it exceeds N_{max} the cell divides into two

C.Furusawa & KK, PRL2003 (Cf. KK&Yomo 94,97)



 $dX1/dt \propto X0X4$; rate equation; Stochastic model here

• Confirmation by numerical evolution experiment by the reaction-net cell model

Mutate the network ('gene') with mutation rate μ , (rewire the path of the network with the rate) and select such network

having highest concentration c of a specific chemical



phenotype $x = \log(n_s)$

1. Prepare initial mother cells.

- From each parent cell, mutant cells are generated by randomly replacing reaction paths, with mutation rate µ
- 3. reaction dynamics of all mutants are simulated to determine phenotype x
- Top 5% cells with regard to phenotype x are selected as parent cells of next generation

Confirmation of Fluctuation Response Relationship by reaction-network cell model



Remarks on the Catalytic Reaction Network Model

☆Growth speed and fidelity in replication are maximum at Dc





Average number of each chemical \propto 1/(its rank)

Generic Adaptation of a cellular state consisting of catalytic reaction network \rightarrow Adaptation to Criticality just by introduction of transporter molecule that catalyzes the transport of resources

- → self-tune the balance of concentrations of nutrient and catalytic chemicals adaptive to environment (Furusawa,KK, PRL, 2012)
- Autonomous regulation by enzyme abundance



Mutual Dependency leads to maintenance of reproductior



Adaptation dynamics(Fold Change Detection)Change in environment (Resource)Adaptive dynamics (growth speed first changes andreturns to the originalFold-change detection:



Fold-change detection: The adaptive dynamics depends only on the ratio of resources before and after. e.g., after change of external resources $100 \rightarrow 200, 200 \rightarrow 400,$ 400 → 800 , identical dynamics common in present cells (Goentro-Kirschner, Alon et al, ¹⁰⁰⁰⁰Shimizu, Kamino-Sawai,...2009--),

Layer 0 (resource) \rightarrow L1 \rightarrow L2 \rightarrow ... \rightarrow Lk catalyst : mean field

 $dm_0/dt = Sm_k^{\alpha} - (M/N)(1 - m_0)m_0 - Sm_k^{\alpha}m_0$

 $dm_j/dt = (M/N)((1-m_0)m_{j-1} - (1-m_0)m_j) - Sm_k^{\alpha}m_j,$ $j = 1, \dots, k, \text{ and } M = \rho N \text{ indicates the mean number of reaction paths}$

By setting $dm_0/dt = 0$, we obtain $F_0 = Sm_k^{\alpha} = \rho m_0$, Growth rate $dm_j/dt = 0$, we get $m_j = m_{j-1}(1 - m_0)$. Thus, we get $m_k = m_0(1 - m_0)^k$. S is large, $m_k \propto (1 - m_0)^k$ follows; $F_0 \sim \rho$, i

at k-th layer obeys $m_k = m_0(1 - m_0)^k$. On the other hand, at each k-th layer, there are $\sim (\rho N)^k$ chemical species. Hence, the ranking of the chemical at k-th layer, denoted by r_k , in the order of abundances increases as $r_k \sim (\rho N)^k$ when ρN is enough large, and thus $k = \log(r_k) / \log(\rho N)$. From these equations, we obtain $m(r_k) = m_0(1 - m_0)^{\log(r_k) / \log(\rho N)}$, where $m(r_k)$ represents the chemical concentration of r_k -th ranked chemical. Thus,

$$\log m_k = \log m_0 - \alpha \log(r_k) \tag{S1}$$

Common High-dimensional Adaptation dynamics all chemicals show 'partial' adaptation





Yeast, change in expression level of each gene by environmental change

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Genome-wide transcriptional plasticity underlies cellular adaptation to novel challenge

Shay Stern¹, Tali Dror¹, Elad Stolovicki², Naama Brenner¹ and Erez Braun^{2,*}

- Ideal-Cell-Model of this version
- (1)Optimal growth is achieved
- (2) Power Law in abundances (Zipf's law)
- (3)Adaptation dynamics of growth rate with FCD
- (4)General trend of partial adaptation
- just by catalytic reaction network +feedback from transporter(=enzyme).
- Interestingly, (1)-(4) agree well with the observations in the present cells
- (1)-(3) is explained by layer-mean-field theory
- Autonomous Regulation by enzyme abundances (cf. Temperature Compensation in Circadian rhythm by autonomous regulation in time scale?)

Confirmation of Fluctuation Dissipation Theorem by reaction-network cell model



NB: the use of log(fluorescence), or log(abundances), because log x is close to Gaussian distribution in experiments

So far: Variance of Phenotype over Isogenic Individuals Vip \propto Evolution Speed

Harder to evolve as development is rigid

- Purther Mystery? Fundamental Theorem of Natural Selection
- (Fisher, established): Then \rightarrow Vip \propto Vg??



• Remark:

Population Genetics

- V_total (Vp): Total phenotypic variance consists of
 - Vg (additive genetic variance)
 - Ve (environmental)
 - or Fluctuaing Assymetry

(sexual reproduction case – more complicated)

- Vip here due to 'developmental noise' (Or I should call V_noise) (It may not be easy to distinguish V_noise from Ve..)
- Anyway, relationship between Vip (V_noise) and Vg, if any, is non-trivial
 - \rightarrow check by cell model

Phenotype fluct. (Vp) vs Gene Fluct. (Vg) in the evolution of toy cell model

Vp: fluct. for given network, Vg: fluct. by network variation



As µ (mutation rate) increases to µ max, (1) the distribution collapses (error catastrophe) (2) evolution no longer progresses beyond µ max evolution speed is maximal at µ ~ µ max (3) Vg approaches Vp

As **µ** is increased, The distribution 'collapses'

Error catastrophe





Phenomeonological explanation? Consider 2-variable distrb P(x=phenotype,a=genotype) =exp(-V(x,a)) Keep a single-peak (stability condition).

 $(\partial^2 V/\partial a^2)^{-1} \ge 0; \quad (\partial^2 V/\partial x^2)^{-1} \ge 0.$ $(\partial^2 V/\partial x^2)(\partial^2 V/\partial a^2) - (\partial^2 V/\partial a \partial x)^2 \ge 0.$

Hessian condition

Leads to relationship between Vip and Vg



KK, Furusawa, 2006 JTB

$$P(x, a) = \widehat{N} \exp\left[-\frac{(x - X_0)^2}{2\alpha(a)} + \frac{C(a - a_0)(x - X_0)}{\alpha} - \frac{1}{2\mu}(a - a_0)^2\right].$$

$$P(x, a) = \widehat{N} \exp\left[-\frac{(x - X_0 - C(a - a_0))^2}{2\alpha(a)} + \left(\frac{C^2}{2\alpha(a)} - \frac{1}{2\mu}\right)(a - a_0)^2\right].$$

$$\mu \le \frac{\alpha}{C^2} \equiv \mu_{max}.$$

$$\overline{x}_a \equiv \int x P(x, a) dx = X_0 + C(a - a_0).$$

$$V_g = \frac{\mu C^2}{1 - \mu C^2 / \alpha} \quad \text{~Vig=} \mu C^2 \quad \text{Vip=}\alpha$$
If mutation rate μ is small, Vg\mu/\mumax)Vip ~ Vip

(i) Vip \geq Vg (from stability condition) (under strong selection pressure) (**) (ii)error catastrophe at Vip ~ Vg (**) (where the evolution does not progress) (iii) Vg~(μ / μ max)Vip $\propto \mu$ Vip $(\infty \text{ evolution speed})$ at least for small μ ***** Consistent with the experiments, but,,,, Existence of P(x,a)?;+ Robust Evolution? + Why isogenetic phenotypic fluctuation leads to robust evolution? (**) to be precisely Vig, variance those from a

given phentype x: but Vig ~Vg if µ is small

Gene expression dynamics model:: Relevance of Noise to evolution? Simple Model:Gene-net(dynamics of stochastic gene expression) → on/off state

Xi – expression of gene i : on off

$$\frac{dx_i}{dt} = \tanh[\beta \sum_{j>k}^M J_{ij} x_j] - x_i + \sigma \eta(t),$$

 $<\eta(t)\eta(t')>=\delta(t-t')\delta_{ij}$



Activation Repression Jij=1,-1,0

Gaussian white

M;total number of genes, \mathbf{k} : output genes Noise strength σ Fitness: Starting from off of all genes, after development genes xi i=1, 2, ····, k should be on (Target Gene Pattern)

Fitness F= - (Number of off x_i)

Genetic Algorithm

Population of N different genotypes(networks). Select those with higher $\langle F \rangle$ and mutate with rate μ Keep N networks


Results of Evolution Simulation (noise σ =.08)



Fitness increases **Isogenic Phenotypic** Variance of decreases by generations through evolution

Variance

 ∞ evolution speed through generations

Evolution speed= Increment of Fitness per generations



This Vg-Vip relation is valid in the evolution under noise high noise $\bigcirc \rightarrow$ all (including mutants) reach the fittest

lower noise(\bigcirc) \rightarrow non-fit mutants remain





Fitness Distribution $\sigma < \sigma c$ --low fitness mutants distributed $\sigma > \sigma c$ - eliminated through evolution



Existence of critical noise level σc below which low-fitness mutants accumulate (error catastrophe)



cf. funnel in gene-expression (Li,Long,Lu,Ouyang,Tang)

why threshold?

choose paths to avoid turning pts within σ (noise)

Mutation \rightarrow touches turning points within range of μ

small $\sigma ->$ an orbit with small Δ can reach the target



Deviation of basin boundary (turning points) by Noise $->\delta p$ by Mutation -> δg

Vip ~ $(\delta p / \Delta)^2$ Vig ~ $(\delta g / \Delta)^2$

- ∆ increases ——>robustness increases
- if $\delta \mathbf{g} > \delta \mathbf{p}$,
- mutation destroys
- the history
- Vip>Vig necessary for evolution of robustness



Δ~distance to turning points (basin boundary)

3:Evolution of Robustness

- Robustness ----- Insensitivity of Fitness (Phenotype) to system's change
- ← against noise during 'developmental process
- \leftarrow against parameter change by mutation
- Developmental Robustness to noise ---- Vip
- Robustness to mutation in evolution ----Vg
- For $\sigma > \sigma c$, both decrease, i.e., robustness increases

Noise is necessary for evolution of robustness

Vip ∝ Vg →Developmental robustness and genetic (evolutionary) robustness are linked (or embedded) WADDINGTON genetic assimilation

(cf. Ancel-Fontana J ExpZoolB 2000)

- Genetic robustness is increased for network evolved under higher noise (almost neutral)
- Increase in genetic robustness to muta fraction of fitted

state for n-mutants

F=-c(σ) m; c(σ)>0 if σ < σ c c(σ c) =0 neutrality Fitness



Generally;Spin Stat-Mech Model for abstract protein evolution

Sakata, Hukushima, KK, PRL 2009 spin configuration --configuration in protein H folding dynamics $H(S|J) = -\frac{1}{\sqrt{N}} \sum_{i < j} J_{ij} S_i S_j$ Ts: noise during 'developmental' dynamics

Monte Carlo with exp(-H/Ts)

Fitness; to alligne target spins → evolve Jij Selection pressure by exp(-Fitness/TJ) ;higher selection as TJ→0



Phase transition

Ts<Tc1 – high fitness state is achieved, but not robust to mutation: Spin-glass phase (RSB)

Tc1<Ts<Tc2 -- high fitness state. Robust to mutation. No frustration around the target spins, but frustration remains elsewhere: 'local Mattis' state; ~

funnel developmental landscape (RS)

the target equilibrium reached globally and fast

Ts>Tc2, -- high fitness is not achieved. 'paramagnetic' phase

*Ubiquity of **funnel developmental landscape--**result of evolution under noise, which also leads to robustness to mutation

***Evolutionary Meaning of RSB! ***

4: Plastcity in each component (gene expression) Consolidation of non-target gene expressions



For robust network Many non-target gene expressions are fixed successively:

Still, some gene expressions are more variable than others:

→ Define variance for each gene expression level i Vip(i) and Vg (i) Vg(i),Vip(i) across different genes (proteins) also show proportionality Measure variance of gene expression for each gene i → genetic variance Vg(i) ∝ isogenic variance Vip(i) over different genes i, for given generation





Experimental evidences

Genetic Properties Influencing the Evolvability of Gene Expression

Christian R. Landry,¹*[†] Bernardo Lemos,¹* Scott A. Rifkin,¹[‡] W. J. Dickinson,² Daniel L. Hartl[®]



fitness components in Drosophila melanogaster

<u>- 1</u>

Courtesy of Ben Lehner

Why existence of universal proportionality relationship? Existence of 'developmental temperature' to support 'fluctuation-dissipationtype relationship?

No answer yet; just only primitive argument

- Note this relationship appears only after evolution under single fitness condition;
- Selection under a given single fitness condition → Projection of high-dimensional gene expression dynamics to low-dimension under the fitness condition

(Projection allows for 1-dimensional collective dynamics + noise (cf Mori formalism in Stat. Mech)). Why proportionality over genes?: Sketchy argument (i) Heuristic argument based on phenomenological distribution theory on expression x_i of gene i

$$P(\{x_i\}, a) = N_0 exp(-\frac{x_i^2}{2\alpha_i} + C_i x_i a - \frac{a^2}{2\mu}).$$

$$P(x_i, a) = exp(-\frac{(x_i - C_i a\alpha_i)^2}{2\alpha_i} - \frac{1}{2}(\frac{1}{\mu} - C_i^2 \alpha_i)a^2)$$

$$Stability \rightarrow \mu < \mu_{max}^i \equiv \frac{1}{C_i^2 \alpha_i},$$

For higher robustness \rightarrow 'postpone' error catastrophe. Then it occurs simultaneously \rightarrow common error threshold

 $\mu_{max}^{i} = (C_{i}^{2}\alpha_{i})^{-1} =$ Indep't of (most) genes i

$$V_g(i)/V_{ip}(i) = C_i^2 \alpha_i < (\delta a)^2 >, \sim \text{constant}$$

NB: Vg-Vip proportionality law is a result of evolution

Most gene expressions are dominated by such 'collective modes' in developmental landscape that is correlated with evolutionary landscape

Recall Vg/Vip= μ/μ _max. This could be applied to any genes. In general, the mutation for the 'error catastrophe' can differ by genes. But assuming that genes are mutually correlated through the above low-dimensional collective dynamics, at such error threshold, the collective dynamics collapse. Then fixation of most genes (i.e., single-peaked-ness in each gene expression distribution) collapses simultaneously at the same μ . Then one may expect universal µmax, which may imply universal Vip-Vg relationship

(ii)A heuristic argument on Vip-Vg law: Self-consistent fluctuation --

Assume collective variable F and its fluctuation

$$P(x;F) = N_0 exp(-\frac{x_i^2}{2\alpha_i} + C_i x_i F - \frac{F^2}{2\beta}) = exp(-\frac{(x_i - C_i F \alpha_i)^2}{2\alpha_i} - (1/2\beta - C_i^2 \alpha_i)F^2)$$

The variance of x_i due to this 'mean fleid', is given by

$$<(\delta x_i)^2>=C_i^2\alpha_i^2<(\delta F)^2>$$

Now if the variance of x_i is mostly due to this 'mean fleid', then but this equals to α_i . Hence, $C_i^2 \alpha_i = 1/\langle (\delta F)^2 \rangle$ which is independent of the gene *i*. Now, we replace F by gene a, then, as already discussed before,

$$V_g(i) = C_i^2 \alpha_i^2 < (\delta a)^2 >$$
(4)

where $\langle (\delta a)^2 \rangle$ is the mutation rate. $V_{ip}(i) = \alpha_i$ Hence,

 $V_g(i)/V_{ip}(i) = C_i^2 \alpha_i < (\delta a)^2 > = < (\delta a)^2 > / < (\delta F)^2 >$

but this value is independent of gene i

 Generality of our result; (probably..) If fitness is determined after developmental dynamics, sufficiently "complex" (nonlinear) (errors are often generated, fitted ones are rare)

*Vip variance of phenotype over isogenic individuals
 *Vg variance of average phenotype over heterogenic population

Plasticity \propto Vip \propto Vg \propto evolution speed

through evolution course & over different phenotypes

Property as a result of evolution under fixed fitness cond.

If more variable by developmental or environmental noise, also variable by mutation

(→ qunatitative representation of genetic assimilation by Waddington)

5. Restoration of Plasticity

Through directed evolution; under single fitness, robustness increases, fluctuations and evolution speed decrease (theory, experiments) $\leftarrow \rightarrow$ How Evolution continues?

Why Large Fluctuations exist?__

?? Is there regain of fluctuations????

- Experimentally: Appearance of mutants with large fluctuations (← interference with other processes) (Ito,Toyota,KK,Yomo, MSB 2009)
- Model: environmental change → Restoration

In fixed environment/fitness, plasticity decreases. When environmental condition is switched in the model → fluctuation once increases to regain plasticity (evolvability) and then decreases





Large σ (low Vg/Vip) -- too robust cannot follow the environmental change Small σ (high Vg/Vip) - non-robust; non-fit mutants remain Near σ ~ σ c --cope with environmental change satisfy both adaptation to new environment and robustness

Contunuous environmental
change
Switch the Fitness
Condition perAvera
fitnes
offer

 $\begin{array}{c} +++++++ \\ \leftarrow \rightarrow \\ +++++---- \end{array}$

Large σ (low Vg/Vip) cannot follow the environmental change Small σ (high Vg/Vip) non-fit mutants remain Near $\sigma \sim \sigma c$ satisfy both adaptation to new environment, and robustness



Under random environmental changes



Vg crossovers

K.K, J. Stat. Phys. 2012

Strategy for survival with the increase in fluctuation $\ensuremath{\mathsf{Fig.l}}$



Emergence of Broad Mutants (0)Full width at half-maximum 5 Fluctuation 4 3 2 Appears from many branche: Peak Folurescence value 0 5 -1.0 Log Peak-gatue (a.u.) 0.0 Not due to Plasmid number GFP MKNA (a.u.) Variance number (a.u. Plasmid cop) 500 Correlated with concentration 250 of mRNA (through cell growth dynamics) \rightarrow 100 250 750 1000 500 6 8 10 2 4 GFP FL (a.u.) GFP mRNA (a.u.) (\mathbf{E}) Use of 'new' degrees of freedom



---this part is omitted here---

• Probably.....

Existence of

macroscopic phenomenological theory a la thermodynamics (for universal biology)

Waiting for Carnot and Clausius of 21th century?? Short History: Macro-state theory('Systems Physics') ~1860 Thermodynamics (Clausius,...) ~1910 Relativity, Brownian motion (Einstein) ~1960 Chaos (Lorenz,...) ~2010 ????? ←

7 Symbiotic Sympatric Speciation Kk, Yomo 2000 ProcRoySoc

- So far, no interaction, evolution under fixed environment -- – single-peaked distribution
- Speciation \rightarrow change to double peaked distribution
- ****** Scenario for Sympatric Speciation
- (1) Isologous diversification (interaction-induced phenotype differentiation);
- differentiation by the interaction ('bifurcation')
 - e.g., by the limit in resources (KK,Yomo1997)
- (2) Amplification of the difference through genopheno relation: Two groups form symbiotic relationship, and coevolve
- (3) Genetic Fixation and Isolation of Differentiated Group consolidated to genotypes

- 1 Isogenic Phenotypic Fluctuation (Plasticity) ∝ Evolution
- 2 Isogenic Phenotypic Fluctuation ∝ Genetic Variance
- **3 Evolution of Robustness to Noise∝to Mutation**
- 4 Plasticity of each phenotype : Vg(i)/Vip(i)~const
- **5 Restoration of Plasticity to increase variances**
- 6 LeChatlier Principle? Macro Phenomenology?

7 Symbiotic Sympatric Speciation8 Evolution of Morphogenesis

Evolution –shaping dynamical systems by dynamical systems



8. Development of morphogenesis (Fujimoto,Ishihara,kk,PLoSOne2009)

Evolve GRN dynamics (+diffusion) to form stripes

Long germ mode: simultaneous

Intermediate germ mode: combinatorial

Short germ mode: sequential



*Simultaneous generation Combination of on/off regulations by fixed expression dynamics Sequential Generation Use of oscillatory gene expression

Summary

- 1. We classified networks according to sequential or simultaneous stripe formation.
- 2. They are characterized by network modules, **FBL** and **FFL**.
- 3. Compared them with observed short and long germ segmentation in arthropod.
- 4. Correspondences between numerical and real evolution suggest that the diverse segmentation is an inevitable property of evolving networks.

Segmentation mode	Pattern formation	Network module	Spatial Hierarchy	Knockout response	Develo pment	Mutation rate
Short	sequential	FBL	No need	simple	Slower	Higher
Intermediate	combinatorial	FBL +FFL	?	variety		
Long	simultaneous	FFLs	necessary	variety	Faster	Lower



Collaborators Chikara Furusawa Katsuhiko Sato experiment Tetsuya Yomo Yoichiro Ito KK, PLoS One 2007 2012 In Evolutionary Systems Biology KK & Furusawa, JTB 2006 + in prep

Sato etal PNAS 2003 Ito et al MSB 2009 Also Sakata,Hukushima,kk,PRL2009 Cf. KK,Yomo, ProcRoySoc 2000, Fujimoto,Ishihara,KK,2009)

Most papers available at <u>http://chaos.c.u-tokyo.ac.jp</u>